

**Macroeconometric Exam**  
**15.07.2006**

NAME.....

1. Describe how we test for the order of integration using the Dickey-Fuller test and how this procedure have to be adjusted to take into account the autocorrelation of error term and the trend in the time series.
2. Explain how we interpret the impulse response function and why their shape can depend on the way we identify the shocks.
3. Explain what are the conditional moment restrictions and how they can be replaced with unconditional moment restrictions - give an example of conditional moment restrictions based on economic theory.

For quarterly data for Poland following IS/LM model was constructed:

$$\begin{aligned}
 C_t &= \alpha_1 + \beta_1 Y_t + \varepsilon_{1t} \\
 I_t &= \beta_0 + \beta_1 Y_t + \beta_3 r_t + \varepsilon_{2t} \\
 r_t &= \phi_0 + \phi_1 Y_t + \phi_2 M_t + \varepsilon_{3t} \\
 Y_t &= C_t + I_t + G_t + X_t
 \end{aligned}$$

where  $C_t$  - consumption,  $I_t$  - investment,  $r_t$  real interest rate,  $Y_t$  - Gross National Product (GDP),  $M_t$  money supply,  $G_t$  - government spendings,  $X_t$  trade balance. We assume, that  $M_t, G_t, X_t$  are exogenous.

**Exercise 1** All test should be done at significance level  $\alpha = 0.05$

1. Consumption equation was estimated with standard OLS and following results were obtained:

| Source   | SS         | df | MS         |                 |        |  |
|----------|------------|----|------------|-----------------|--------|--|
| Model    | 3.2384e+10 | 1  | 3.2384e+10 | Number of obs = | 40     |  |
| Residual | 2.3328e+09 | 38 | 61388730.4 | F( 1, 38) =     | 527.52 |  |
| Total    | 3.4716e+10 | 39 | 890161222  | Prob > F =      | 0.0000 |  |
|          |            |    |            | R-squared =     | 0.9328 |  |
|          |            |    |            | Adj R-squared = | 0.9310 |  |
|          |            |    |            | Root MSE =      | 7835.1 |  |

  

| C     | Coef.    | Std. Err. | t     | P> t  | [95% Conf. Interval] |          |
|-------|----------|-----------|-------|-------|----------------------|----------|
| Y     | .6297492 | .0274189  | 22.97 | 0.000 | .5742426             | .6852559 |
| _cons | 380.6216 | 4594.334  | 0.08  | 0.934 | -8920.121            | 9681.365 |

*Comment on the validity of using this method in this context.*

2. Following equation was estimated with OLS:

| Source   | SS         | df | MS         |                 |         |  |
|----------|------------|----|------------|-----------------|---------|--|
| Model    | 3.4396e+10 | 3  | 1.1465e+10 | Number of obs = | 40      |  |
| Residual | 320085564  | 36 | 8891265.66 | F( 3, 36) =     | 1289.51 |  |
| Total    | 3.4716e+10 | 39 | 890161222  | Prob > F =      | 0.0000  |  |
|          |            |    |            | R-squared =     | 0.9908  |  |
|          |            |    |            | Adj R-squared = | 0.9900  |  |
|          |            |    |            | Root MSE =      | 2981.8  |  |

  

| C     | Coef.    | Std. Err. | t    | P> t  | [95% Conf. Interval] |          |
|-------|----------|-----------|------|-------|----------------------|----------|
| G     | 1.884434 | .3778827  | 4.99 | 0.000 | 1.118052             | 2.650816 |
| M     | .1755955 | .0315945  | 5.56 | 0.000 | .111519              | .239672  |
| X     | .3558973 | .1448667  | 2.46 | 0.019 | .0620941             | .6497006 |
| _cons | 3843.933 | 3968.608  | 0.97 | 0.339 | -4204.778            | 11892.64 |

$$C_t = \delta_0 + \delta_1 M_t + \delta_2 G_t + \delta_3 X_t + \xi_t$$

- (a) Comment on consistency of these estimates.
- (b) What is the interpretation of parameters  $\delta_1, \delta_2, \delta_3$ ?
- (c) What is the difference between this equation and the consumption equation in the structural model?

3. Consumption equation was estimated with 2SLS and following results were obtained:

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Instrumental variables (2SLS) regression
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Source |          SS      df      MS                Number of obs =      40
-----+-----
Model | 3.2323e+10      1 3.2323e+10          F( 1, 38) = 534.77
Residual | 2.3929e+09     38 62971388.4          Prob > F      = 0.0000
-----+-----
Total | 3.4716e+10     39 890161222          R-squared     = 0.9311
                                           Adj R-squared = 0.9293
                                           Root MSE     = 7935.5
-----
C |          Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
Y |   .6568881     .0284059    23.13  0.000     .5993834   .7143927
_cons | -3998.347     4752.045    -0.84  0.405    -13618.36  5621.665
-----
Instrumented:  Y
Instruments:  G M X
-----

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- (a) What is the interpretation of the estimated parameters?
- (b) Are the estimates agree with the Keynes theory that the proportion of the consumption in income (Average propensity to consume) falls with the rise of income?
- (c) Under what extra assumptions 2SLS estimator is consistent?

4. The Sargan test was calculated for consumption and following result was obtained:

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Tests of overidentifying restrictions:
Sargan N*R-sq test      12.052  Chi-sq(2)    P-value = 0.0024
Basmann test           15.525  Chi-sq(2)    P-value = 0.0004

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What does this results imply?

5. The Hausman test was calculated for consumption and following result was obtained:

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      ---- Coefficients ----
      |      (b)      (B)      (b-B)      sqrt(diag(V_b-V_B))
      |      MZI      MNK      Difference      S.E.
-----+-----
      Y |      .6568881      .6297492      .0271388      .0074227
-----+-----

      b = consistent under Ho and Ha; obtained from ivreg
      B = inconsistent under Ha, efficient under Ho; obtained from regress

      Test: Ho: difference in coefficients not systematic

      chi2(1) = (b-B)' [(V_b-V_B)^(-1)] (b-B)
              =      13.37
      Prob>chi2 =      0.0003

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*What does this results imply?*